



Blue Print (As per PU Board)

Topic	1 mark questions	2 marks questions	3 marks questions	5 marks questions	Total Marks
Linear Inequalities	-	1	-	1	7

One mark questions

1. Solve $5x < 26$ when x is a natural number.

Answer: $5x < 26 \Rightarrow x < \frac{26}{5} \Rightarrow x < 5.2$. Thus the solution set is $\{1, 2, 3, 4, 5\}$

2. Solve $(2x-3) > 6$ when x is an integer.

Answer: $(2x-3) > 6 \Rightarrow 2x > (6+3) \Rightarrow 2x > 9 \Rightarrow x > \frac{9}{2} \Rightarrow x > 4.5$.

Thus the solution set is $\{5, 6, 7, \dots\}$.

3. Solve $(3x+5) < (5x-8)$ when x is an integer

Answer: $(3x+5) < (5x-8) \Rightarrow (5x-3x) > (5+8) \Rightarrow 2x > 13$

$\Rightarrow x > \frac{13}{2} \Rightarrow x > 6.5$. Thus the solution set is $\{7, 8, 9, \dots\}$

4. Solve $(3x+5) \geq (5x-8)$ when x is a real number.

Answer: $(3x+5) \geq (5x-8) \Rightarrow (5x-3x) \leq (5+8) \Rightarrow 2x \leq 13$

$\Rightarrow x \leq \frac{13}{2} \Rightarrow x \leq 6.5$. Thus the solution set is $(-\infty, 6.5]$

5. Solve $3x < 17$ when x is an integer.

Answer: $3x < 17 \Rightarrow x < \frac{17}{3} \Rightarrow x < 5.67$. Thus the solution set is $\{\dots, -1, 0, 1, 2, 3, 4, 5\}$.

Two marks questions

6. Solve $\frac{1}{3}\left(\frac{2x}{5}-3\right) < \frac{1}{4}(3x-5)$

Answer: $\frac{1}{3}\left(\frac{2x}{5}-3\right) < \frac{1}{4}(3x-5) \Rightarrow \frac{1}{3}\left(\frac{2x-15}{5}\right) < \frac{1}{4}(3x-5)$

$\Rightarrow 4(2x-15) < 15(3x-5) \Rightarrow (8x-60) < (45x-75)$

$\Rightarrow (45x-8x) > (75-60) \Rightarrow 37x > 15 \Rightarrow x > \frac{15}{37}$

Thus the solution set is $\left(\frac{15}{37}, \infty\right)$

7. Solve $\frac{2x-1}{3} > \left\{\frac{3x-2}{4} - \frac{2-x}{5}\right\}$

Answer: $\frac{2x-1}{3} > \left\{\frac{3x-2}{4} - \frac{2-x}{5}\right\} \Rightarrow \frac{2x-1}{3} > \left\{\frac{5(3x-2)-4(2-x)}{20}\right\}$

$\Rightarrow \frac{2x-1}{3} > \left\{\frac{15x-10-8+4x}{20}\right\} \Rightarrow \frac{2x-1}{3} > \left\{\frac{19x-18}{20}\right\}$

$\Rightarrow 20(2x-1) > 3(19x-18) \Rightarrow (40x-20) > (57x-54)$

$\Rightarrow (40x-57x) > (20-54) \Rightarrow 17x > -34 \Rightarrow -x > -2$



$\Rightarrow x < 2$ Thus the solution set $(-\infty, 2)$

8. **Find all pairs of consecutive odd positive integers both of which are lesser than 18 and such that their sum is more than 15.**

Answer: Let x and $x+2$ are two consecutive odd positive integers. Now $x \leq 17, (x+2) \leq 17$. Hence $x \leq 15$. Also $(x+x+2) > 15$

$$\Rightarrow (2x+2) > 15 \Rightarrow 2x > 13 \Rightarrow x > \frac{13}{2} = 6.5.$$

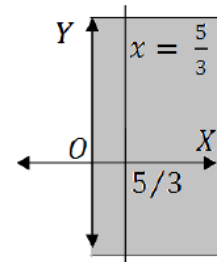
Thus the possible pairs of consecutive odd positive numbers are $(7,9), (9,11), (11,13), (13,15), (15,17)$.

9. **Solve the inequality $3x \geq 5$ and represent the solution region graphically.**

Answer: $3x \geq 5 \Rightarrow x \geq \frac{5}{3}$. Thus solution set is $\left[\frac{5}{3}, \infty\right)$.

The solution region is the half plane to the right of the line $x = \frac{5}{3}$.

Also the line, $x = \frac{5}{3}$ is included in the solution region.



Five marks questions

10. **Solve the inequalities $2x+3y < 12, x \geq 2, y \geq 2$ graphically.**

Answer: Consider the straight line $2x+3y=12$

When $x=0, y=4$ and

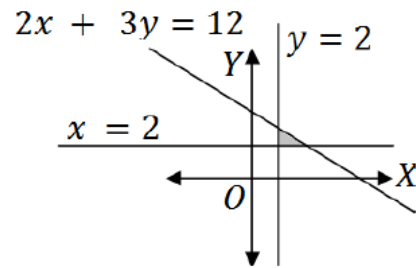
When $y=0, x=6$.

When $x=0, y=0$, we get,

$$2x+3y=0 < 12$$

Thus solution region is the part of half plane separated by the line $2x+3y=12$ containing the origin.

The solution region of the set of inequalities is the region bounded by the lines $2x+3y=12, x=2$ and $y=2$.



11. **Solve the inequalities $x+2y \leq 6, 4x+3y \geq 12$ graphically.**

Answer: Consider the line $x+2y=6$. This passes through the points $(0,3)$ and $(6,0)$. Also when $x=0, y=0$, the number $x+2y=0 < 6$.

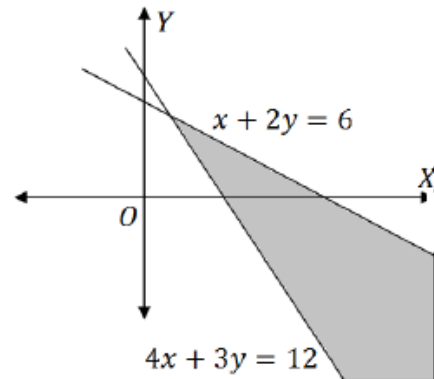
Solution region is the part of the half plane separated by $x+2y=6$ containing the origin.

Consider the line $4x+3y=12$.

This passes through the points $(0,4)$ and $(3,0)$

Also when $x=0, y=0$, the number $4x+3y=0 < 12$.

Solution region is the part of the half plane separated by $4x+3y=12$ not containing the origin. The common enclosed region is the solution region. Also the two lines are included in the solution region.





12. **Solve the inequalities** $2x + y > 8$, $x + 2y > 10$ **graphically.**

Answer: Consider the line $2x + y = 8$. This passes through the points $(0, 8)$ and $(4, 0)$. Also when $x = 0, y = 0$, the number $2x + y = 0 \not> 8$. Solution region is the part of the half plane separated by $2x + y = 8$ not containing the origin.

Consider the line $x + 2y = 10$. This passes through the points $(0, 5)$ and $(10, 0)$. Also when $x = 0, y = 0$, the number $x + 2y = 0 \not> 10$.

Solution region is the part of the half plane separated by $x + 2y = 10$ not containing the origin.

The common region of the above two is the solution region. Also the two lines are not included in the solution region.

